

INSTABILITY PROBLEM OF CONVENTIONAL TRANSFORMER DIFFERENTIAL PROTECTION-APPLICATION OF ZERO SEQUENCE CURRENT TRAP

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Abstract

Zero sequence component of current usually causes instability of the differential protection. It enters circuits through earthed terminals. The traditional way of solving the problem in differential schemes is by connecting the interposing current transformers (ICTs) in delta since there is no path for zero sequence component of current in delta. This paper suggests another way of dealing with the problem. A zero sequence trap is modeled to pass the zero sequence current through an output logic which ensures that operation of the relay is enabled only when there is a real differential fault.

Key words: differential current, zero sequence component of current, differential protection, output logic, instability,



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INTRODUCTION

The conventional differential protection suffers from instability due to;- (i) tap changer error (ii) transformer switching magnetizing in-rush current (iii) emergence of zero sequence component of current, etc. These problems are solved in different ways.

1.1 Tap changer error

Since in transformer, ${}^{n_1}/n_2 = {}^{l_2}/I_1 = {}^{V_1}/V_2$, any change in the number of turns will cause a change in the current and voltage. So in other to keep the differential relay stable, the tap changer error must be accommodated in relay setting. $E_t = E_1 + E_{2+\cdots}E_n$. Where E_t is the total accommodated error, E_1 , E_2 , etc, are other errors. Care must be taken in determining the magnitude of E_t so that the sensitivity of the relay is not impaired.

1.2 Switching inrush current of transformer

When a transformer is switched on, the vibrations in the lamination produce high transient current on the switched side. See fig A1, in the appendix. However this dies down after few milliseconds. Since the currents on both sides of the differential relay are not equal during the switching transient, the relay operates. The traditional way of solving this problem is by installing harmonic filter in the relay to block the harmonic signals. The author has modeled a new approach to this problem. See [10S].

1. EMERGENCE OF ZERO SEQUENCE COMPONENT OF CURRENT

Zero sequence component of current always finds its way into circuits through earthed terminals and offsets

the stability of the differential protection. The traditional way of solving this problem is by connecting the current transformers (or interposing current transformers) in delta, since there is no path for zero sequence current in delta.

In this paper a zero sequence trap is modeled to block the zero sequence component of current from offsetting the stability of the differential protection scheme.

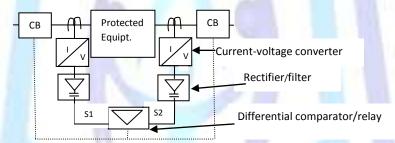


Fig.1: The basic 2 -input differential protection scheme

PRINCIPLES OF OPERATION

Let the inputs to the differential protection be S1 and S2 such that

$$S_{1} = K_{11}I_{1}Z_{1}$$

$$S_{2} = K_{21}I_{2}Z_{2}$$
(1)

Where IZ = current converted to voltage

K11; K21 = Conversion factors.

For stability,
$$\left|K_{11}I_1Z_1\right| = \left|K_{21}I_2Z_2\right|$$
 (2)

If K11= K21= K and I1 = I2 = I, equation (2) now becomes

$$\left|KIZ_{1}\right| = \left|KIZ_{2}\right| \tag{3}$$

Thus for stability Z1 must be equal to Z2. Otherwise that is a condition of an uneven lengths of the current transformer (CT) pilots or/and unequal rated burdens of the input current transformers (CTs). Depending on the magnitude of |Z1-Z2|, it could cause the differential current, $|\Delta|$, to rise above the tolerance limit. Therefore in order to guarantee stability, means for compensation for difference impedance, $Z\Delta$, must be provided.

In eqn(3), let Z1 = K3 R1 and Z2 = K4 R2 Then;

$$\left|KK_3I_1Z_1\right|_{=}\left|KK_4I_2Z_2\right| \tag{4}$$



Where K3 and K4 are conversion factors..

Applying the signals of eq(4) into two different amplifiers with reference signals Sr1 and Sr2(in the processor) the output expression becomes:

A1(I1K K3R1 - Sr1) = A2(I2K K4 R2 - Sr2)

where A1 and A2 are the amplifiers' gains.

Therefore
$$\left|A_1\left(KK_3I_1R_1-Sr_1\right)\right| = \left|A_2\left(KK_4I_2R_2-Sr_2\right)\right|$$
 (5)

If A1= A2= A; and K3 = K4 (Similar Circuits), then eqn (5) becomes

$$|x(I_1R_1 - Sr_1)| = |x(I_2R_2 - Sr_2)|$$
 (6

where x = AK K3 = A K K4

xl1R1-Sr1 and xl2R2-Sr2 are suppose to be equal but where they are not, they can be made equal by simply adjusting Sr1 or Sr2 .

The ports $\left|x\left(I_{1}R_{1}-SR_{1}\right)\right|$ and $\left|x\left(I_{2}R_{2}-SR_{2}\right)\right|$ are the complementary out-puts of the differential circuit; while Sr1 and Sr2 are can be called the "restraining signals".

By feeding the signals of equation (6) into a window comparator with gains B1 and B2, the final outputs of the differential circuit become:

$$|B_{1}x(I_{1}R_{1} - Sr_{1})| |B_{2}x(I_{2}R_{2} - Sr_{2})|$$
and
$$|B_{2}x(I_{2}R_{2} - Sr_{2})| |x(I_{1}R_{1} - Sr_{1})|$$
(7)

Again Since the circuits are identical

B1= B2 = B, Sr1 = Sr2 and R1= R2 = R

Hence eqn (7) can be reduced to:

$$B[m(I_1 - I_2)] B[m(I_2 - I_1)]$$
 (8)

where m = xR.

Eqn (8) can still be written as

$$C(I_1 - I_2)$$

$$C(I_2 - I_1)$$
Where C = Bm (9)

Equation (9) shows that the output of the modeled differential circuit is dependent on the differential current, $I\Delta$, although the circuit works on voltage.

When I1 = I2, the output is zero, signifying the stability condition for the differential circuit and $I1 \neq I2$ produces two complementary signals of the same magnitude but opposite polarities at the two output terminals of the processor. These output voltages are proportional to the differential current, $I\Delta$.

 $11 \neq 12$ can be caused by a real fault or a non-real fault such as in the condition of emergence of zero sequence current. Unless the zero sequence component of current, I_z , is taken care of, the differential protection will remain unstable.

When I_z is present, eqn(9) is modified to

$$C[(I_1 + I_z) - I_2]$$

$$C[I_2 - (I_1 + I_z)]$$
(10)

And this cannot be zero. So the stability of the relay is offset.

In order to block the zero sequence current, the relay output must be governed by the following boolean equation:

$$(I_{\Delta} + \overline{I_z}).(I_{\Delta} + I_z) = Y$$
 (11)



One way of implementing eqn (11) is shown in fig 2

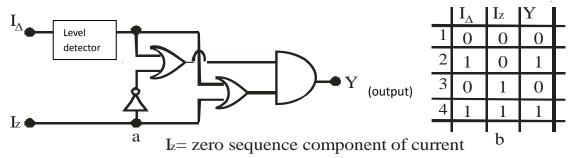


Fig 3.4: Zero Sequence current Trap and truth table

Fig. 2: The relay output logic and the truth table

The output logic ensures that the operation is enabled only when there is a real differential current, I_{Δ} . It can be seen also from the accompanying truth table, that there is output only when there is differential current (conditions 2 and 4).

3.1 DERIVATION OF THE SIGNAL I_z

The signal I_z , is generated at the zero sequence current trap shown in fig. 3.

The 10A MCB has one normally closed contact and one normally opened contact.

The MCB is usually in closed position so that at the emergence of zero sequence current, I_z flows from earth, through Rz and triggers the thyristor, Th, to charge the I_z bus at the output logic. If I_z is more than 10A, the MCB trips and energizes relay, C, which closes its contact to send an alarm to the attendant, at the same time charge the I_z bus at the output logic.

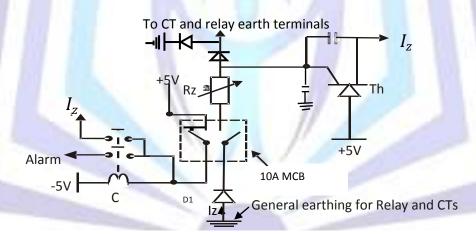


Fig3. Generation of the signal 1/2 from zero sequence current trap

The conditions for the trap to work effectively are that:

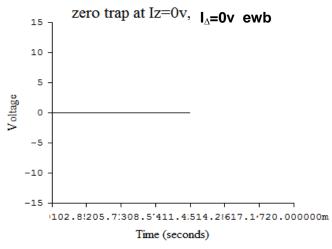
The earthing for all the differential CTs and the relay must be common as shown in fig3.

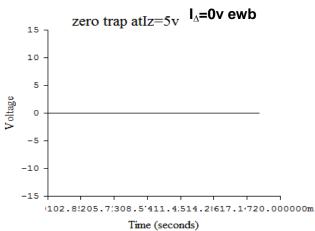
Appropriate size of conductors must be used for earth leads in other to carry large amount of current.

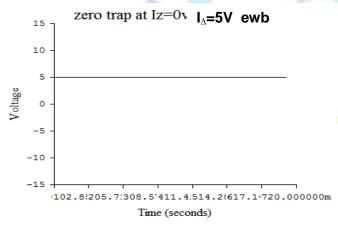
TESTS AND SIMULATIONS

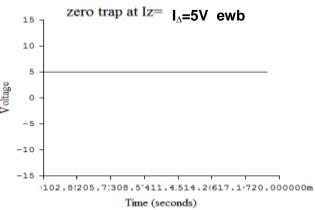
The simulation results of zero sequence current trap and its logic are shown in figs. 4, 5, 6, 7 and 8. The output of the differential relay was zero when both Iz and I Δ were zero. The conditions when the relay had outputs were seen at Iz=0V, I Δ =5V and at Iz=5V, I Δ = 5V (Figs 5 and 6). These simulation results show that the differential relay operates only when there is differential current. Therefore emergence of zero sequence component of current cannot offset the stability of the relay

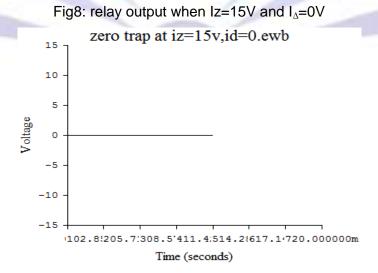














5. CONCLUSION

The differential protection relay capable of remaining stable under the emergence of zero sequence component of current is presented. The simulation results show that the relay can operate only when there is real differential fault. It remains stable when there is no differential fault irrespective of the magnitude of the zero sequence component of current. This model of differential protection does not require interposing current transformers connected in delta to block the zero sequence component of current from offsetting the differential protection relay.

REFERENCES

- [1] Ezechukwu O A. A model of differential protection IJERD vol.3, issue 3 Aug.2012.
- [2] Siemens coy-Transformer differential protective relay system
- [3] Operating/maintenance instruction MWBR T22-10/10
- [4] GEC-Protective relay application guide, GEC measurements PLC London 1987.
- [5] Mason C R The art and science of protective relays John Willy and sons inc.1956.
- [6] Andrichak J G, Cardinas J- Bus differential protection-22nd Western Protective relay Conference, Spoken Washington 24th Oct. 1995
- [7] Horowitz SH, Phadke AG- Power System relaying-Research studies press LTD 1995
- [8] BBC-BBC protect your high voltage plants-BBC Brown Boveri coy Baden.
- [9] Electricity council-Power system protection Peter peregrinus LTD London 1981.
- [10] Ezechukwu O A, A new approach to transformer protection. IJIES- VOL6, No1 Jan-Jun 2013, Serial publication.
- [11] MELCO-Bus protection relay system maintainance/operating manual SE103B, Mitsubishi Elect. Coy 1978
- [12] Ram B, Vishwakarma DN-Power system protection and switchgear Tata Mc grawHill new Delhi 1995.
- [13] Rushton J-The fundamental characteristics of pilot wire differential system-IEE PNC 1961 vol 1084

APPENDIX

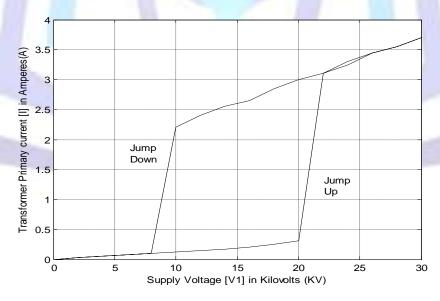


Fig A1: The nature of the switching in-rush magnetizing current when a transformer is switched on.

When the transformer was switched on, the primary current rose linearly from 0 to about 0.3Amps and suddenly jumped to 3Amps. On collapsing, it took another path back to zero. This presents a figure that looks like the hysteresis loop.